

Year 10 Maths

Unit 2: Ratio and scale





For every 3 circles there are 2 triangles.

This can be written as a ratio:

The ratio of circles to triangles is 3:2 The ratio of triangles to circles is 2:3

simplifying ratios...

EXAMPLE:

Simplify the ratio 15:20

EXAMPLE:

Simplify 2.4:3:4.8

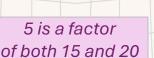
EXAMPLE: Simplify 2 hours: 40 minutes

sharing in a ratio...

EXAMPLE: Fran and Elle share 270 lego bricks in the ratio 4:5. How many does each get?

4:5

270



Work out the value of each circle

Draw a

diagram

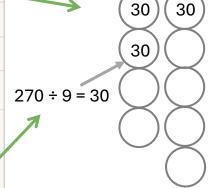
First get rid of the decimals

Count the circles

Keep going if there's still a common factor

Convert to a common unit (e.g. minutes)

Simplify further if possible



 $4 \times 30 = 120$ $5 \times 30 = 150$

Fran gets 120 Elle gets 150

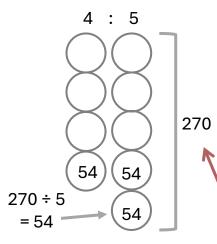
Answer in context

one part is given...

EXAMPLE:

Fran and Elle share some lego bricks in the ratio 4:5.

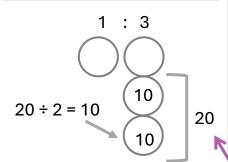
Elle gets 270. How many does Fran get?



 $4 \times 54 = 216$ Elle gets 216

a difference is given...

EXAMPLE: Pete and Sam share some sweets in the ratio 1:3. Sam gets 20 more than Pete. How many do they have in total?



 $4 \times 10 = 40$ They have 40

the form 1: n...

'1:n' means we want a '1' on the left of the ratio

We can get this by dividing by 5

This is in the 'form' we want

Dividing by 8 gives us '1' on the left side

This time the 5 circles are worth 270

We can include a fraction or decimal in the ratio

This time we want the '1' on the right side of the ratio

We can get this by dividing by 15

The 2 circles here represent the '20 more'

EXAMPLE: Write 5:15 in the form 1:n

EXAMPLE: Write 19:3 in the form 1:n

$$\div 8 \left(\begin{array}{c} 8:3\\ 1:\frac{3}{8} \end{array}\right) \div 8$$

or 1:0.375

the form n: 1...

EXAMPLE: Write 5:15 in the form **n:1**

$$\div 15$$
 $(5:15)$ $\div 15$ $(5:15)$ $(5:$

Simplify fractions in the answer when you can

map scales... A map scale can be written using units e.g. 1cm to 10 miles EXAMPLE: A map has a or as a ratio scale 1cm: 6km e.g. 1:50 000 A road is 15km long. For this ratio, 1 cm on the How long does it appear map represents 50 000 cm on the map, in cm? in real life. (or 1mm represents MAP: REAL LIFE 50 000 mm, etc.) 1cm:6km Scale to the same units 1cm:6000m scale drawings... 1cm: 600 000cm **EXAMPLE:** 1:600 000 ÷ 40 ÷ 40 The accurate scale diagrams 0.025:15000 shows two towns, Town A and Use the Town B. 15km in the Find the actual distance between question Road on the map, the two towns, in kilometres. (in metres 0.025 metres here) x 100 Town A 2.5 cm CM 1 2 3 4 5 6 7 The question asked for the answer in cm Scale: 1:50 000 5.7 cm 285000 cm -2850 m — **2.85 km** x 50 000 ÷100 ÷1000 on diagram in real life Use the scale Measure the The question from the distance asked for the accurately with a diagram answer in

kilometres

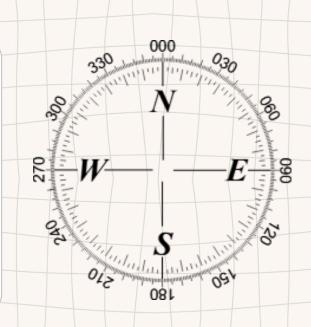
ruler

A **bearing** is used to represent direction accurately, such as for navigation.

Bearings are measured:

- clockwise from north
- in degrees
- using 3 digits (e.g. 042°)

The bearing of \mathbf{A} from \mathbf{B} is the direction to travel to get from \mathbf{B} to \mathbf{A} .



measuring...

EXAMPLE:

Measure the bearing of **B from A**.

This means the direction to get from A to B

We're travelling from A, so place the centre of a protractor at A

Measure the angle accurately, clockwise from north

Remember to use 3 digits for angles less than 100°

